

































Problem of the Week


Problem A and Solution

Books, Books, Books



Problem



The pictograph below shows how many books five students have each read this month. Each  represents a fixed number of books.

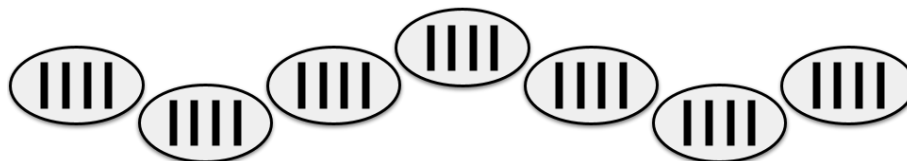
Student	Books Read
Xuan	    
Javya	  
Natasha	         
Sanan	   
Brandon	      


- (a) Brandon read 28 books this month. How many books does each  represent in the pictograph?
- (b) How many books were read in total by these students this month?

Solution

- (a) Since Brandon has 7 , we can skip count by 7s until we get to 28. Doing this gives 7, 14, 21, 28. This means that each  represents 4 books read by a student.

Alternatively, we could use a fair share strategy to determine how many books each  represents. We draw seven ovals, and add a tally to each oval one at a time until 28 tallies have been distributed. Then we end up with 4 tallies in each oval, which means that each  represents 4 books.



- (b) Since each  represents 4 books read, we know that Xuan read $5 \times 4 = 20$ books, Javya read $3 \times 4 = 12$ books, Natasha read $10 \times 4 = 40$ books, Sanan read $4 \times 4 = 16$ books, and Brandon read $7 \times 4 = 28$ books.

Thus, in total these students read $20 + 12 + 40 + 16 + 28 = 116$ books.