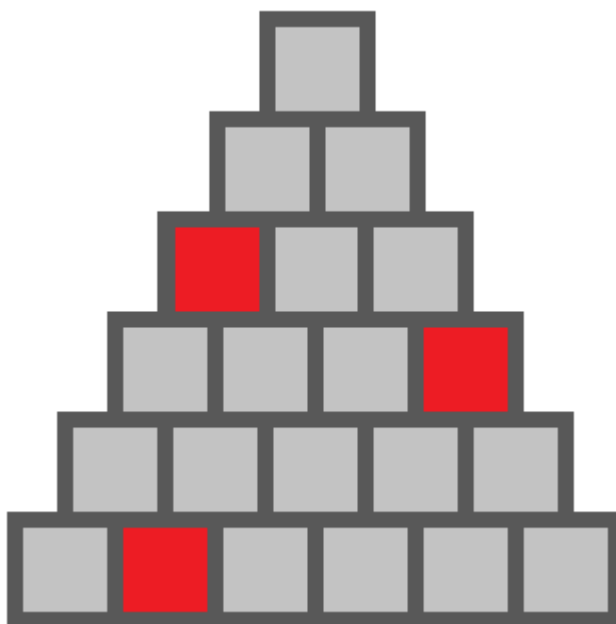


## Problem Q3: Data Structure

### Problem Description

It's a well-known fact that, inside computers, all data is stored in 2D pyramids of data blocks.

A certain pyramid has  $N$  ( $1 \leq N \leq 10^9$ ) rows, numbered  $1..N$  from top to bottom. Each row  $r$  has  $r$  block spaces, which are labelled  $(r, 1)..(r, r)$  from left to right. Each block space  $(r, c)$  in rows  $1..(N - 1)$  rests on top of two supporting block spaces in the row below it - block spaces  $(r + 1, c)$  and  $(r + 1, c + 1)$ . For example, a pyramid with 6 rows is illustrated below, with block spaces  $(3, 1)$ ,  $(4, 4)$ , and  $(6, 2)$  indicated in red:



Now, each block space may either contain data, or be empty. A block space containing data is only stable if it's in the bottom row (row  $N$ ), or if both of its two supporting block spaces also contain data. The entire pyramid is only stable if all of its non-empty block spaces are stable.

You know that there are  $M$  ( $1 \leq M \leq 10^5$ ) different block spaces which must contain data - the  $i$ th of these is block space  $(r_i, c_i)$  ( $1 \leq c_i \leq r_i \leq N$ ). All of the other block spaces in the pyramid may either be filled with arbitrary data or be left empty. However, everyone knows that data is expensive. As such, you're interested in the smallest amount of data that the pyramid's block spaces can contain such that at least the  $M$  required block spaces contain data, and the entire data structure is stable.

### Subtasks

For 3 of the 15 marks available,  $N \leq 100$  and  $M \leq 200$ .

For another 3 of the 15 marks available,  $N \leq 2000$  and  $M \leq 10^5$ .

For another 3 of the 15 marks available,  $N \leq 10^9$  and  $M \leq 2$ .

### Input Specification

The first line of the input contains two integers,  $N$  and  $M$ . The remaining  $M$  lines each contain two integers,  $r_i$  and  $c_i$  for  $i = 1..M$ .

### Output Specification

Output a single integer, the minimum number of block spaces which can contain data such that the entire pyramid is stable. Note that this value may not fit in a 32-bit signed integer, and may need to be stored in a long / long / int64 variable in C++ / Java / Pascal, respectively.

### Sample Input

```
6 3
3 1
4 4
6 2
```

### Output for Sample Input

```
15
```

### Explanation for Output for Sample Input

The diagram below illustrates the pyramid described by the sample case, where the 3 red block spaces must contain data, while the 12 orange block spaces represent the optimal set of blocks to additionally fill with data to make the entire pyramid stable.

